

# A RADIATOR SYSTEM FOR COOLING A SHORT CYLINDRICAL BODY

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A solution is given for the heat loss and optimal design of radial cones (solid and hollow) that lie in the same plane.

We have given [1] a solution for the design and optimization of a system of radial cones diverging from an isothermal sphere.

These relationships [1] represent a particular case of a short cylinder when the cones diverge in a plane instead of three dimensions (Fig. 1). In this case the length of the cylinder equals the base diameter of a cone, while the radius is determined by the condition of contact between the bases of the cones.

Figure 2 shows computer results from the equation of [1] for the system of Fig. 1 when the surfaces are black. The performance  $\theta$  of the system in Fig. 2 is the ratio of the actual radiated flux to the limiting flux  $Q_{lim}$  that would be emitted if the cones had infinite thermal conductivity and if there were no radiative exchange between the cones:

$$Q_{lim} = n\pi \operatorname{tg} \frac{\alpha}{2} \sigma T_0^4 L^2.$$

These results are correct also for hollow cones lacking heat transfer between the internal surfaces and having a wall thickness  $\delta$  that varies as follows along the axis:

$$\frac{(L-x) \operatorname{tg} \frac{\alpha}{2} - \delta}{(L-x) \operatorname{tg} \frac{\alpha}{2}} = \varphi = \text{const.}$$

In this case  $N$  must be replaced by  $N/(1 - \varphi^2)$  in order to use the relationships of Fig. 2.

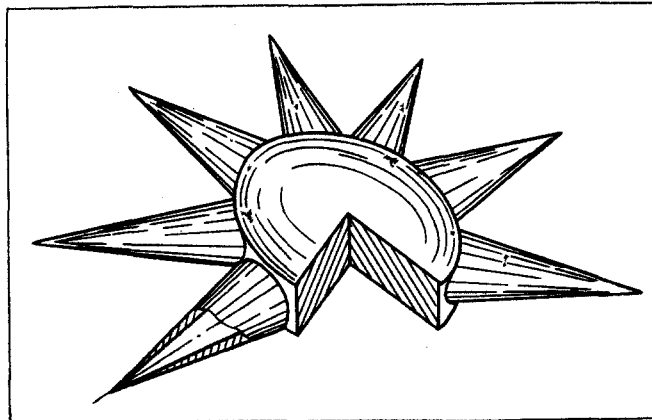


Fig. 1. Radiation system with cooling cones.

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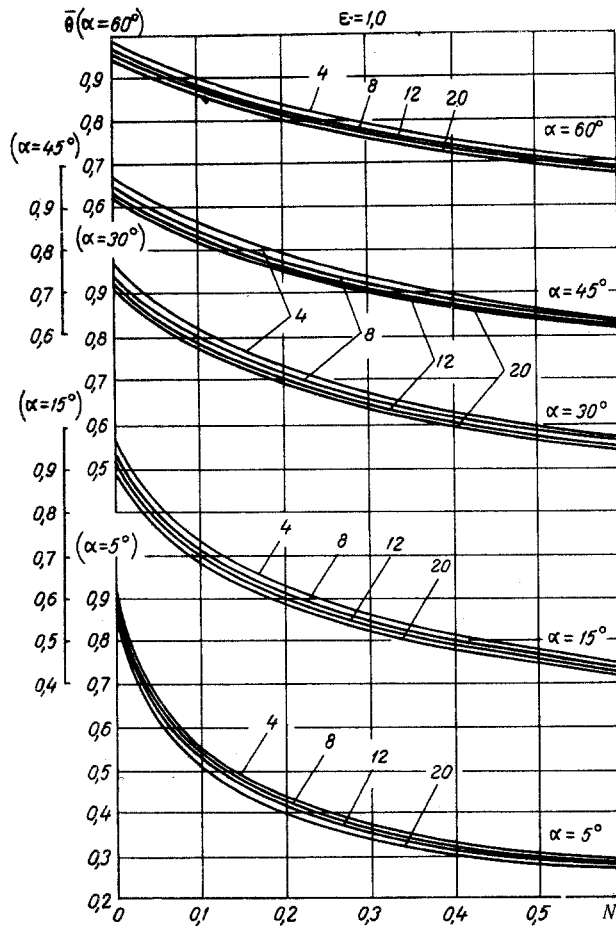


Fig. 2. Efficiency of radiation system versus  $\alpha$  and  $N$  for different numbers of cones with  $\varepsilon = 1$  (figures near curves are values of  $n$ ).

The curves of Fig. 2 allow one not only to determine the heat flux from the sizes of the cones (together with  $T_0$  and  $\lambda$ ) but also to optimize the system of Fig. 1, which with hollow cones can sometimes be considerably better than the normal annular fin [2].

#### NOTATION

- $\varepsilon$  is the emissivity of surface;  
 $\sigma$  is the Stefan-Boltzmann radiation constant;  
 $\lambda$  is the thermal conductivity of material;  
 $L$  is the length of cone;  
 $\alpha$  is the angle at the cone vertex;  
 $n$  is the number of cones;  
 $T_0$  is the temperature of cooled body surface;  
 $\delta$  is the thickness of hollow cone wall at distance  $x$  from its base;  
 $\theta$  is the efficiency of heat-removing system;  
 $N$  is the cone thermal-conductivity parameter ( $N = 2\sigma T_0^3 L / \lambda$ ).

#### LITERATURE CITED

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2. G. L. Grodzovskii and Z. V. Pasechnik, *Prikl. Mat. Tekh. Fiz.*, No. 3 (1967).